

job submitted

```

local country "es lu"

loc c "es"

clear
use ${mydata}/extract-`c' , clear
svyset [pw=ppopwgt] , psu(hid) strata(year)

tab tersex period [aw=ppopwgt] , col

svy , subpop(if period==0) : mean capearn , over(tersex)
svy , subpop(if period==1) : mean capearn , over(tersex)

// Inequality decomposition by group
ineqdeco capearn if period==0 [aw=ppopwgt], by(tersex)
ineqdeco capearn if period==1 [aw=ppopwgt], by(tersex)

// Morduch-Sicular
ineqrbd capearn fnonter mter fter if period==0 [aw=ppopwgt]
ineqrbd capearn fnonter mter fter if period==1 [aw=ppopwgt]

// Inequality decomposition by group -- counterfactuals
ineqdeco capearn if period==0 [aw=ppopwgt], by(tersex)
di r(between_ge0) + r(v_1)*r(ge0_1) + r(v_2)*r(ge0_2) + r(v_12)*r(ge0_12) + r(v_11)*r(ge0_11)
foreach i in 1 2 11 12 {
  local ge0_`i'_0 = r(ge0_`i'')
}
ineqdeco capearn if period==1 [aw=ppopwgt], by(tersex)
di r(between_ge0) + r(v_1)*r(ge0_1) + r(v_2)*r(ge0_2) + r(v_12)*r(ge0_12) + r(v_11)*r(ge0_11)
di "What if within group inequality had not changed?"
di r(between_ge0) + r(v_1)*`ge0_1_0' + r(v_2)*`ge0_2_0' + r(v_12)*`ge0_12_0' + r(v_11)*`ge0_11_0'

// Bootstrap inference? Simplest form
cap pr drop bootineq
pr def bootineq , rclass
// calculation
ineqdeco capearn if period==0 [aw=ppopwgt], by(tersex)
loc ge0_0 = r(ge0)
foreach i in 1 2 11 12 {
  local ge0_`i'_0 = r(ge0_`i'')
}
ineqdeco capearn if period==1 [aw=ppopwgt], by(tersex)
loc ge0_1 = r(ge0)
loc ge0_01 = r(between_ge0) + r(v_1)*`ge0_1_0' + r(v_2)*`ge0_2_0' + r(v_12)*`ge0_12_0' + r(v_11)*`ge0_11_0'
// return results
return scalar ge0_0 = `ge0_0'
return scalar ge0_1 = `ge0_1'
return scalar ge0_01= `ge0_01'
return scalar diff = `ge0_1' - `ge0_0'
return scalar exdiff = `ge0_01' - `ge0_0'
end
bootstrap ge0_0 = r(ge0_0) ///
ge0_1 = r(ge0_1) ///
ge0_01 = r(ge0_01) ///

```

```

diff = r(diff) ///
exdiff=r(exdiff) ///
, reps(50) strata(year) cluster(hid) ///
: bootineq

// Kdensities
qui su capearn , detail
range xgrid `=r(p1)/2' `=r(p99)*1.1' 199
kdens capearn if period==0 & tersex==1 [aw=ppopwgt] , at(xgrid) gen(f01)
kdens capearn if period==0 & tersex==2 [aw=ppopwgt] , at(xgrid) gen(f02)
kdens capearn if period==0 & tersex==11 [aw=ppopwgt] , at(xgrid) gen(f011)
kdens capearn if period==0 & tersex==12 [aw=ppopwgt] , at(xgrid) gen(f012)
svy , subpop(if period==0) : proportion tersex
gen f0 = 0
foreach i in 1 2 11 12 {
gen scf0`i' = _b[`i'.tersex] * f0`i'
replace f0 = f0 + scf0`i'
}

kdens capearn if period==1 & tersex==1 [aw=ppopwgt] , at(xgrid) gen(f11)
kdens capearn if period==1 & tersex==2 [aw=ppopwgt] , at(xgrid) gen(f12)
kdens capearn if period==1 & tersex==11 [aw=ppopwgt] , at(xgrid) gen(f111)
kdens capearn if period==1 & tersex==12 [aw=ppopwgt] , at(xgrid) gen(f112)
svy , subpop(if period==1) : proportion tersex
gen f1 = 0
foreach i in 1 2 11 12 {
gen scf1`i' = _b[`i'.tersex] * f1`i'
replace f1 = f1 + scf1`i'
}

// counterfactual
gen f10 = 0
foreach i in 1 2 11 12 {
gen scf10`i' = _b[`i'.tersex] * f0`i'
replace f10 = f10 + scf10`i'
}

// check to display on same scale:
qui su f0 , meanonly
loc max = r(max)
qui su f1 , meanonly
loc max = max(`max',r(max))
qui su f10 , meanonly
loc max = max(`max',r(max))

tw line f0 scf01 scf02 scf011 scf012 xgrid , yscale(range(0 `max'))
graphexportpdf $mypdf/kdens0
tw line f1 scf11 scf12 scf111 scf112 xgrid , yscale(range(0 `max'))
graphexportpdf $mypdf/kdens1
tw line f0 f1 f10 xgrid , yscale(range(0 `max'))
graphexportpdf $mypdf/kdens10

// log scale gives better sense of relative inequality
tw line f0 scf01 scf02 scf011 scf012 xgrid , yscale(range(0 `max')) xscale(log)
graphexportpdf $mypdf/kdens0_log
tw line f1 scf11 scf12 scf111 scf112 xgrid , yscale(range(0 `max')) xscale(log)
graphexportpdf $mypdf/kdens1_log

```

```
tw line f0 f1 f10 xgrid , yscale(range(0 `max')) xscale(log)
graphexportpdf $mypdf/kdens10_log
```

```
*}
```

```
exit
```

listing

```
##### NOTICE TO USERS #####
```

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```
##### NOTICE TO USERS #####
```

```
. local country "es lu"
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```
. loc c "es"
```

```
.
```

```
. clear
```

```
. use ${mydata}/extract-`c' , clear
```

```
. svyset [pw=ppopwgt] , psu(hid) strata(year)
```

```
    pweight: ppopwgt
          VCE: linearized
Single unit: missing
   Strata 1: year
        SU 1: hid
       FPC 1: <zero>
```

```
.
```

```
. tab tersex period [aw=ppopwgt] , col
```

```
+-----+
| Key    |
|-----|
|        |
| frequency |
```

| column percentage |

+-----+

tersex	period		Total
	0	1	
1	504.229092	6,632.206	7,136.435
	48.40	40.35	40.83
2	320.245513	4,152.368	4,472.614
	30.74	25.26	25.59
11	138.63478	2,945.114	3,083.749
	13.31	17.92	17.64
12	78.602383	2,707.6	2,786.202
	7.55	16.47	15.94
Total	1,041.712	16,437.29	17,479
	100.00	100.00	100.00

.
 . svy , subpop(if period==0) : mean capearn , over(tersex)
 (running mean on estimation sample)

Survey: Mean estimation

Number of strata =	1	Number of obs =	466
Number of PSUs =	439	Population size =	1,006,830
		Subpop. no. obs =	466
		Subpop. size =	1,006,830
		Design df =	438

		Linearized		
		Mean	Std. Err.	[95% Conf. Interval]
c.apearn@tersex				
	1	8580.366	420.1411	7754.622 9406.109
	2	5401.358	461.7499	4493.837 6308.879
	11	17546.61	1856.579	13897.7 21195.52
	12	10305.65	1052.038	8237.981 12373.32

Note: 2 strata omitted because they contain no subpopulation members.

. svy , subpop(if period==1) : mean capearn , over(tersex)
 (running mean on estimation sample)

Survey: Mean estimation

Number of strata =	2	Number of obs =	16,297
Number of PSUs =	12,465	Population size =	20,863,563
		Subpop. no. obs =	16,297
		Subpop. size =	20,863,563
		Design df =	12,463

		Linearized			
		Mean	Std. Err.	[95% Conf. Interval]	

c.capearn@tersex					
	1	17874.75	127.19	17625.44	18124.06
	2	11834.23	140.6583	11558.52	12109.94
	11	26278.93	288.6092	25713.21	26844.65
	12	20941.73	244.8143	20461.86	21421.61

Note: 1 stratum omitted because it contains no subpopulation members.

```
.
. // Inequality decomposition by group
. ineqdeco capearn if period=0 [aw=ppopwgt], by(tersex)
```

Percentile ratios

All obs		p90/p10	p90/p50	p10/p50	p75/p25

		8.147	2.444	0.300	3.010

Generalized Entropy indices $GE(a)$, where a = income difference sensitivity parameter, and Gini coefficient

All obs	GE(-1)	GE(0)	GE(1)	GE(2)	Gini
	0.45573	0.32027	0.30854	0.40419	0.42311

Atkinson indices, $A(e)$, where $e > 0$ is the inequality aversion parameter

All obs	A(0.5)	A(1)	A(2)
	0.14555	0.27405	0.47684

Subgroup summary statistics, for each subgroup $k = 1, \dots, K$:

tersex		Popn. share	Mean	Relative mean	Income share	$\log(\text{mean})$

1		0.48685	8580.36568	0.93674	0.45605	9.05723
2		0.28686	5401.35767	0.58968	0.16916	8.59441
11		0.15205	17546.60749	1.91560	0.29127	9.77262
12		0.07424	10305.65062	1.12509	0.08352	9.24045

Subgroup indices: $GE_k(a)$ and $Gini_k$

tersex	GE(-1)	GE(0)	GE(1)	GE(2)	Gini
1	0.31505	0.21880	0.19938	0.23222	0.34250
2	0.31787	0.26448	0.27459	0.36929	0.39797
11	0.45464	0.28928	0.25710	0.28926	0.39653
12	0.38634	0.24443	0.19451	0.18425	0.34410

Within-group inequality, GE_W(a)

All obs	GE(-1)	GE(0)	GE(1)	GE(2)
	0.37995	0.24453	0.22851	0.31475

Between-group inequality, GE_B(a):

All obs	GE(-1)	GE(0)	GE(1)	GE(2)
	0.07578	0.07574	0.08003	0.08944

Subgroup Atkinson indices, A_k(e)

tersex	A(0.5)	A(1)	A(2)
1	0.09866	0.19652	0.38654
2	0.12653	0.23240	0.38865
11	0.12746	0.25120	0.47624
12	0.10350	0.21685	0.43588

Within-group inequality, A_W(e)

All obs	A(0.5)	A(1)	A(2)
	0.11217	0.22021	0.41715

Between-group inequality, A_B(e)

All obs	A(0.5)	A(1)	A(2)
	0.03761	0.06903	0.10242

. ineqdeco capearn if period==1 [aw=ppopwgt], by(tersex)

Percentile ratios

All obs	p90/p10	p90/p50	p10/p50	p75/p25
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	4.444	1.948	0.438	2.068

Generalized Entropy indices $GE(a)$, where a = income difference sensitivity parameter, and Gini coefficient

All obs	$GE(-1)$	$GE(0)$	$GE(1)$	$GE(2)$	Gini
	0.24798	0.16778	0.14835	0.15631	0.30117

Atkinson indices, $A(e)$, where $e > 0$ is the inequality aversion parameter

All obs	$A(0.5)$	$A(1)$	$A(2)$
	0.07539	0.15446	0.33154

Subgroup summary statistics, for each subgroup $k = 1, \dots, K$:

tersex	Popn. share	Mean	Relative mean	Income share	$\log(\text{mean})$
1	0.40993	17874.74879	0.97294	0.39884	9.79114
2	0.24761	11834.23285	0.64415	0.15950	9.37875
11	0.17660	26278.93243	1.43039	0.25260	10.17652
12	0.16586	20941.73209	1.13988	0.18906	9.94950

Subgroup indices: $GE_k(a)$ and $Gini_k$

tersex	$GE(-1)$	$GE(0)$	$GE(1)$	$GE(2)$	Gini
1	0.13880	0.10531	0.09842	0.10515	0.24338
2	0.26901	0.18747	0.16777	0.18254	0.31808
11	0.15031	0.11151	0.10046	0.10180	0.25066
12	0.20745	0.14035	0.12106	0.12140	0.27321

Within-group inequality, $GE_W(a)$

All obs	$GE(-1)$	$GE(0)$	$GE(1)$	$GE(2)$
	0.21063	0.13256	0.11427	0.12250

Between-group inequality, $GE_B(a)$:

All obs	$GE(-1)$	$GE(0)$	$GE(1)$	$GE(2)$
---------	----------	---------	---------	---------

	0.03735	0.03522	0.03408	0.03381
--	---------	---------	---------	---------

Subgroup Atkinson indices, A_k(e)

tersex	A(0.5)	A(1)	A(2)
1	0.04929	0.09995	0.21729
2	0.08446	0.17095	0.34982
11	0.05131	0.10552	0.23114
12	0.06269	0.13095	0.29323

Within-group inequality, A_W(e)

All obs	A(0.5)	A(1)	A(2)
	0.05794	0.11854	0.25628

Between-group inequality, A_B(e)

All obs	A(0.5)	A(1)	A(2)
	0.01852	0.04075	0.10119

```
.
. // Morduch-Sicular
. ineqrbd capearn fnonter mter fter if period==0 [aw=ppopwgt]
```

Regression of capearn on RHS variables

(analytic weights assumed)

(sum of wgt is 1,006,830.2860718)

Source	SS	df	MS	Number of obs	=	466
Model	6.9938e+09	3	2.3313e+09	F(3, 462)	=	43.76
Residual	2.4612e+10	462	53273605.9	Prob > F	=	0.0000
				R-squared	=	0.2213
				Adj R-squared	=	0.2162
Total	3.1606e+10	465	67970241.5	Root MSE	=	7298.9

capearn	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
fnonter	-3179.008	795.8277	-3.99	0.000	-4742.899 -1615.117
mter	8966.242	993.3177	9.03	0.000	7014.261 10918.22
fter	1725.285	1332.21	1.30	0.196	-892.6575 4343.227
_cons	8580.366	484.578	17.71	0.000	7628.116 9532.616

Regression-based decomposition of inequality in capearn

Decomp.	100*s _f	S _f	100*m _f /m	CV _f	CV _f /CV(total)
residual	77.8722	0.7009	0.0000	1.03e+16	1.14e+16
fnonter	5.0534	0.0455	-9.9557	-1.5784	-1.7537
mter	16.8580	0.1517	14.8837	2.3641	2.6266
fter	0.2164	0.0019	1.3983	3.5352	3.9277
Total	100.0000	0.9001	100.0000	0.9001	1.0000

Note: proportionate contribution of composite var f to inequality of Total,
 $s_f = \rho_f \cdot sd(f) / sd(\text{Total})$. $S_f = s_f \cdot CV(\text{Total})$.
 $m_f = \text{mean}(f)$. $sd(f) = \text{std.dev. of } f$. $CV_f = sd(f) / m_f$.
 Total = capearn

```
. ineqrbd capearn fnonter mter fter if period==1 [aw=ppopwgt]
```

Regression of capearn on RHS variables

(analytic weights assumed)

(sum of wgt is 20,863,563.211568)

Source	SS	df	MS	Number of obs	=	16,297
Model	3.7191e+11	3	1.2397e+11	F(3, 16293)	=	1498.76
Residual	1.3477e+12	16,293	82714657.4	Prob > F	=	0.0000
				R-squared	=	0.2163
				Adj R-squared	=	0.2161
Total	1.7196e+12	16,296	105521526	Root MSE	=	9094.8

capearn	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
fnonter	-6040.516	181.3259	-33.31	0.000	-6395.934 -5685.097
mter	8404.184	202.7852	41.44	0.000	8006.702 8801.665
fter	3066.983	207.3192	14.79	0.000	2660.615 3473.352
_cons	17874.75	111.2709	160.64	0.000	17656.65 18092.85

Regression-based decomposition of inequality in capearn

Decomp.	100*s _f	S _f	100*m _f /m	CV _f	CV _f /CV(total)
residual	78.3721	0.4382	-0.0000	-2.21e+15	-3.94e+15
fnonter	9.2672	0.0518	-8.1412	-1.7432	-3.1177
mter	11.1217	0.0622	8.0783	2.1594	3.8620
fter	1.2390	0.0069	2.7689	2.2426	4.0109
Total	100.0000	0.5591	100.0000	0.5591	1.0000

Note: proportionate contribution of composite var f to inequality of Total,
 $s_f = \rho_f \cdot sd(f) / sd(\text{Total})$. $S_f = s_f \cdot CV(\text{Total})$.
 $m_f = \text{mean}(f)$. $sd(f) = \text{std.dev. of } f$. $CV_f = sd(f) / m_f$.
 Total = capearn

```
. // Inequality decomposition by group -- counterfactuals
. ineqdeco capearn if period==0 [aw=ppopwgt], by(tersex)
```

Percentile ratios

All obs	p90/p10	p90/p50	p10/p50	p75/p25
	8.147	2.444	0.300	3.010

Generalized Entropy indices $GE(a)$, where a = income difference sensitivity parameter, and Gini coefficient

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	0.45573	0.32027	0.30854	0.40419	0.42311

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Within-group inequality, $GE_W(a)$

All obs	$GE(-1)$	$GE(0)$	$GE(1)$	$GE(2)$
	0.37995	0.24453	0.22851	0.31475

Between-group inequality, $GE_B(a)$:

All obs	GE(-1)	GE(0)	GE(1)	GE(2)
	0.07578	0.07574	0.08003	0.08944

Subgroup Atkinson indices, $A_k(e)$

tersex	A(0.5)	A(1)	A(2)
1	0.09866	0.19652	0.38654
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All obs	A(0.5)	A(1)	A(2)
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Between-group inequality, $A_B(e)$

All obs	A(0.5)	A(1)	A(2)
	0.03761	0.06903	0.10242

```
. di r(between_ge0) + r(v_1)*r(ge0_1) + r(v_2)*r(ge0_2) + r(v_12)*r(ge0_12) + r(v_11)*r(ge0_11)
.32026895

. foreach i in 1 2 11 12 {
2. local ge0_`i'_0 r(ge0_`i')
3. }

. ineqdeco capearn if period==1 [aw=ppopwgt], by(tersex)
```

Percentile ratios

All obs	p90/p10	p90/p50	p10/p50	p75/p25
	4.444	1.948	0.438	2.068

Generalized Entropy indices $GE(a)$, where a = income difference sensitivity parameter, and Gini coefficient

All obs	GE(-1)	GE(0)	GE(1)	GE(2)	Gini

	0.24798	0.16778	0.14835	0.15631	0.30117
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Atkinson indices, $A(e)$, where $e > 0$ is the inequality aversion parameter

All obs	$A(0.5)$	$A(1)$	$A(2)$
	0.07539	0.15446	0.33154

Subgroup summary statistics, for each subgroup $k = 1, \dots, K$:

tersex	Popn. share	Mean	Relative mean	Income share	$\log(\text{mean})$
1	0.40993	17874.74879	0.97294	0.39884	9.79114
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Subgroup indices: $GE_k(a)$ and $Gini_k$

tersex	$GE(-1)$	$GE(0)$	$GE(1)$	$GE(2)$	Gini
1	0.13880	0.10531	0.09842	0.10515	0.24338
2	0.26901	0.18747	0.16777	0.18254	0.31808
11	0.15031	0.11151	0.10046	0.10180	0.25066
12	0.20745	0.14035	0.12106	0.12140	0.27321

Within-group inequality, $GE_W(a)$

All obs	$GE(-1)$	$GE(0)$	$GE(1)$	$GE(2)$
	0.21063	0.13256	0.11427	0.12250

Between-group inequality, $GE_B(a)$:

All obs	$GE(-1)$	$GE(0)$	$GE(1)$	$GE(2)$
	0.03735	0.03522	0.03408	0.03381

Subgroup Atkinson indices, $A_k(e)$

tersex	$A(0.5)$	$A(1)$	$A(2)$
1	0.04929	0.09995	0.21729
2	0.08446	0.17095	0.34982

11	0.05131	0.10552	0.23114
12	0.06269	0.13095	0.29323

Within-group inequality, A_W(e)

All obs	A(0.5)	A(1)	A(2)
-----+	-----	-----	-----
	0.05794	0.11854	0.25628

Between-group inequality, A_B(e)

All obs	A(0.5)	A(1)	A(2)
-----+	-----	-----	-----
	0.01852	0.04075	0.10119

```
. di r(between_ge0) + r(v_1)*r(ge0_1) + r(v_2)*r(ge0_2) + r(v_12)*r(ge0_12) + r(v_11)*r(ge0_11)
.1677837
```

```
. di "What if within group inequality had not changed?"
What if within group inequality had not changed?
```

```
. di r(between_ge0) + r(v_1)*`ge0_1_0' + r(v_2)*`ge0_2_0' + r(v_12)*`ge0_12_0' + r(v_11)*`ge0_11_0'
.1677837
```

```
.
. // Bootstrap inference? Simplest form
. cap pr drop bootineq

. pr def bootineq , rclass
1. // calculation
. ineqdeco capearn if period==0 [aw=ppopwgt], by(tersex)
2. loc ge0_0 = r(ge0)
3. foreach i in 1 2 11 12 {
4. local ge0_`i'_0 = r(ge0_`i')
5. }
6. ineqdeco capearn if period==1 [aw=ppopwgt], by(tersex)
7. loc ge0_1 = r(ge0)
8. loc ge0_01 = r(between_ge0) + r(v_1)*`ge0_1_0' + r(v_2)*`ge0_2_0' + r(v_12)*`ge0_12_0' +
r(v_11)*`ge0_11_0'
9. // return results
. return scalar ge0_0 = `ge0_0'
10. return scalar ge0_1 = `ge0_1'
11. return scalar ge0_01= `ge0_01'
12. return scalar diff = `ge0_1' - `ge0_0'
13. return scalar exdiff = `ge0_01' - `ge0_0'
14. end

. bootstrap ge0_0 = r(ge0_0) ///
> ge0_1 = r(ge0_1) ///
> ge0_01 = r(ge0_01) ///
> diff = r(diff) ///
> exdiff=r(exdiff) ///
```

```
> , reps(50) strata(year) cluster(hid) ///
> : bootineq
(running bootineq on estimation sample)
```

warning: Because bootineq is not an estimation command or does not set e(sample), bootstrap has no way to determine which observations are used in calculating the statistics and so assumes that all observations are used. This means that no observations will be excluded from the resampling because of missing values or other reasons.

If the assumption is not true, press Break, save the data, and drop the observations that are to be excluded. Be sure that the dataset in memory contains only the relevant data.

```
Bootstrap replications (50)
-----+----- 1 -----+----- 2 -----+----- 3 -----+----- 4 -----+----- 5
..... 50
```

Bootstrap results

```
Number of strata   =           3           Number of obs   =       17,479
Replications      =           50
```

```
command: bootineq
ge0_0:   r(ge0_0)
ge0_1:   r(ge0_1)
ge0_01:  r(ge0_01)
diff:    r(diff)
exdiff:  r(exdiff)
```

(Replications based on 13,352 clusters in hid)

	Observed	Bootstrap			Normal-based	
	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
ge0_0	.3202689	.0210381	15.22	0.000	.2790351	.3615028
ge0_1	.1677837	.0023682	70.85	0.000	.163142	.1724254
ge0_01	.2820364	.0192274	14.67	0.000	.2443514	.3197214
diff	-.1524853	.0210177	-7.26	0.000	-.1936792	-.1112913
exdiff	-.0382326	.0175514	-2.18	0.029	-.0726326	-.0038325

```
.
. // Kdensities
. qui su capearn , detail

. range xgrid `=r(p1)/2' `=r(p99)*1.1' 199
(17,280 missing values generated)

. kdens capearn if period==0 & tersex==1 [aw=ppopwgt] , at(xgrid) gen(f01)
(bandwidth = 3368.5028)

. kdens capearn if period==0 & tersex==2 [aw=ppopwgt] , at(xgrid) gen(f02)
(bandwidth = 2916.8068)

. kdens capearn if period==0 & tersex==11 [aw=ppopwgt] , at(xgrid) gen(f011)
(bandwidth = 9746.045)

. kdens capearn if period==0 & tersex==12 [aw=ppopwgt] , at(xgrid) gen(f012)
```

```
(bandwidth = 6173.5837)
```

```
. svy , subpop(if period==0) : proportion tersex
(running proportion on estimation sample)
```

Survey: Proportion estimation

```
Number of strata =      1      Number of obs   =      630
Number of PSUs   =     592      Population size = 1,367,418
                                   Subpop. no. obs =      630
                                   Subpop. size   = 1,367,418
                                   Design df      =      591
```

		Linearized	Logit	
	Proportion	Std. Err.	[95% Conf. Interval]	
tersex				
1	.484039	.0211946	.4426191	.5256793
2	.3074224	.0190726	.2712817	.3460911
11	.1330836	.0147112	.1067484	.1647178
12	.075455	.0113758	.0559339	.1010597

Note: 2 strata omitted because they contain no subpopulation members.

```
. gen f0 = 0
```

```
. foreach i in 1 2 11 12 {
  2. gen scf0`i' = _b[`i'.tersex] * f0`i'
  3. replace f0 = f0 + scf0`i'
  4. }
```

(17,280 missing values generated)

(17,442 real changes made, 17,280 to missing)

(17,280 missing values generated)

(102 real changes made)

(17,280 missing values generated)

(199 real changes made)

(17,280 missing values generated)

(109 real changes made)

.

```
. kdens capearn if period==1 & tersex==1 [aw=ppopwgt] , at(xgrid) gen(f11)
(bandwidth = 2355.5675)
```

```
. kdens capearn if period==1 & tersex==2 [aw=ppopwgt] , at(xgrid) gen(f12)
(bandwidth = 2313.1448)
```

```
. kdens capearn if period==1 & tersex==11 [aw=ppopwgt] , at(xgrid) gen(f111)
(bandwidth = 4672.0064)
```

```
. kdens capearn if period==1 & tersex==12 [aw=ppopwgt] , at(xgrid) gen(f112)
(bandwidth = 4068.7881)
```

```
. svy , subpop(if period==1) : proportion tersex
(running proportion on estimation sample)
```

Survey: Proportion estimation

Number of strata =	2	Number of obs =	16,849
Number of PSUs =	12,760	Population size =	21,576,640
		Subpop. no. obs =	16,849
		Subpop. size =	21,576,640
		Design df =	12,758

		Linearized	Logit	
	Proportion	Std. Err.	[95% Conf. Interval]	
tersex				
1	.4034854	.0044522	.3947898	.4122421
2	.2526188	.0037272	.2453831	.2599944
11	.1791727	.0037094	.1720166	.1865595
12	.164723	.0034714	.1580308	.1716408

Note: 1 stratum omitted because it contains no subpopulation members.

```
. gen f1 = 0

. foreach i in 1 2 11 12 {
  2. gen scf1`i' = _b[`i'.tersex] * f1`i'
  3. replace f1 = f1 + scf1`i'
  4. }
(17,280 missing values generated)
(17,479 real changes made, 17,280 to missing)
(17,280 missing values generated)
(191 real changes made)
(17,280 missing values generated)
(199 real changes made)
(17,280 missing values generated)
(199 real changes made)

. // counterfactual
. gen f10 = 0

. foreach i in 1 2 11 12 {
  2. gen scf10`i' = _b[`i'.tersex] * f0`i'
  3. replace f10 = f10 + scf10`i'
  4. }
(17,280 missing values generated)
(17,442 real changes made, 17,280 to missing)
(17,280 missing values generated)
(102 real changes made)
(17,280 missing values generated)
(199 real changes made)
(17,280 missing values generated)
(109 real changes made)

.
.
. // check to display on same scale:
. qui su f0 , meanonly
```



```

. loc max = r(max)

. qui su f1 , meanonly

. loc max = max(`max',r(max))

. qui su f10 , meanonly

. loc max = max(`max',r(max))

.

. tw line f0 scf01 scf02 scf011 scf012 xgrid , yscale(range(0 `max'))

. graphexportpdf $mypdf/kdens0
(note: file /lissy_out/execute//kdens0.eps not found)
(file /lissy_out/execute//kdens0.eps written in EPS format)

. tw line f1 scf11 scf12 scf111 scf112 xgrid , yscale(range(0 `max'))

. graphexportpdf $mypdf/kdens1
(note: file /lissy_out/execute//kdens1.eps not found)
(file /lissy_out/execute//kdens1.eps written in EPS format)

. tw line f0 f1 f10 xgrid , yscale(range(0 `max'))

. graphexportpdf $mypdf/kdens10
(note: file /lissy_out/execute//kdens10.eps not found)
(file /lissy_out/execute//kdens10.eps written in EPS format)

.

. // log scale gives better sense of relative inequality
. tw line f0 scf01 scf02 scf011 scf012 xgrid , yscale(range(0 `max')) xscale(log)

. graphexportpdf $mypdf/kdens0_log
(note: file /lissy_out/execute//kdens0_log.eps not found)
(file /lissy_out/execute//kdens0_log.eps written in EPS format)

. tw line f1 scf11 scf12 scf111 scf112 xgrid , yscale(range(0 `max')) xscale(log)

. graphexportpdf $mypdf/kdens1_log
(note: file /lissy_out/execute//kdens1_log.eps not found)
(file /lissy_out/execute//kdens1_log.eps written in EPS format)

. tw line f0 f1 f10 xgrid , yscale(range(0 `max')) xscale(log)

. graphexportpdf $mypdf/kdens10_log
(note: file /lissy_out/execute//kdens10_log.eps not found)
(file /lissy_out/execute//kdens10_log.eps written in EPS format)

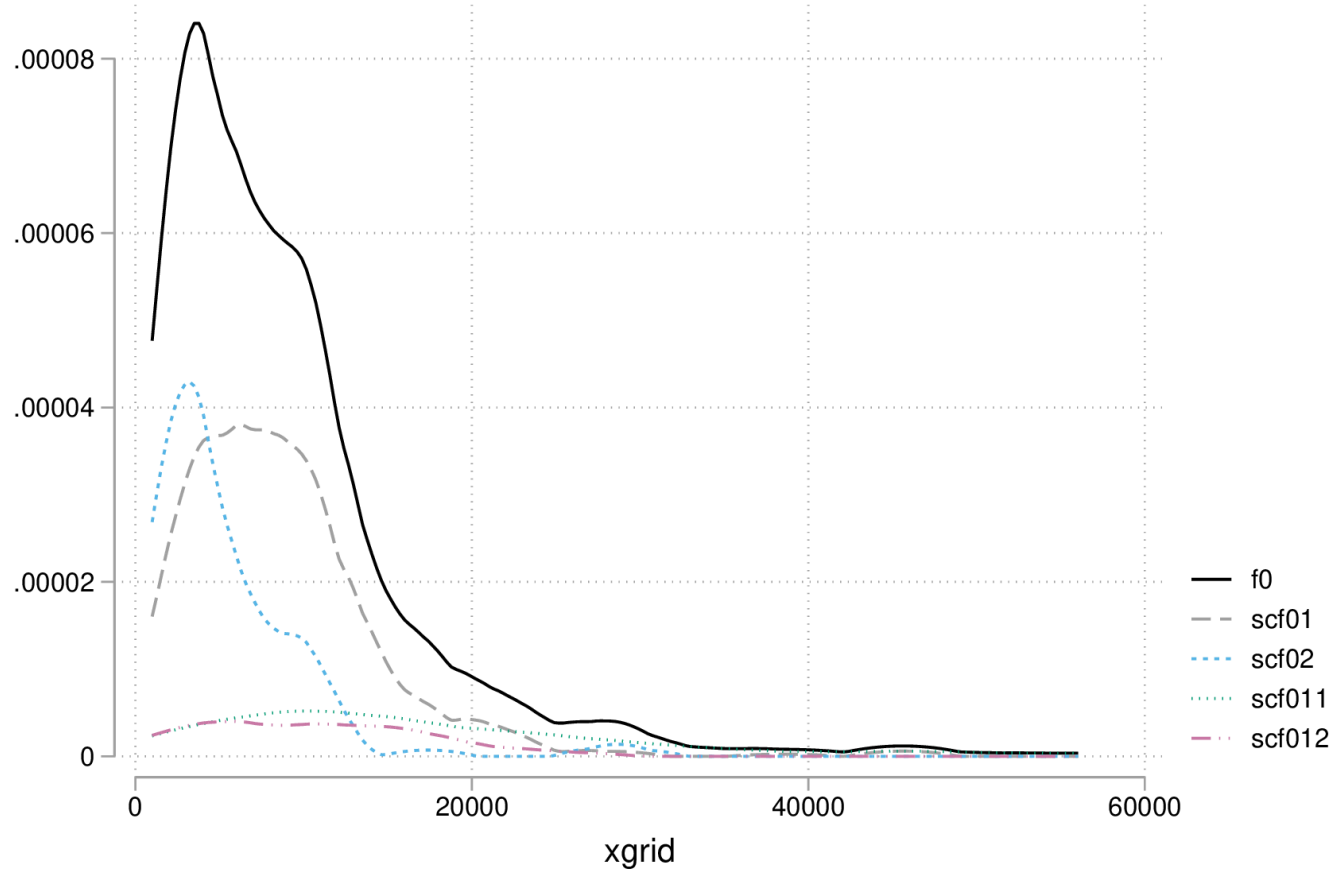
.

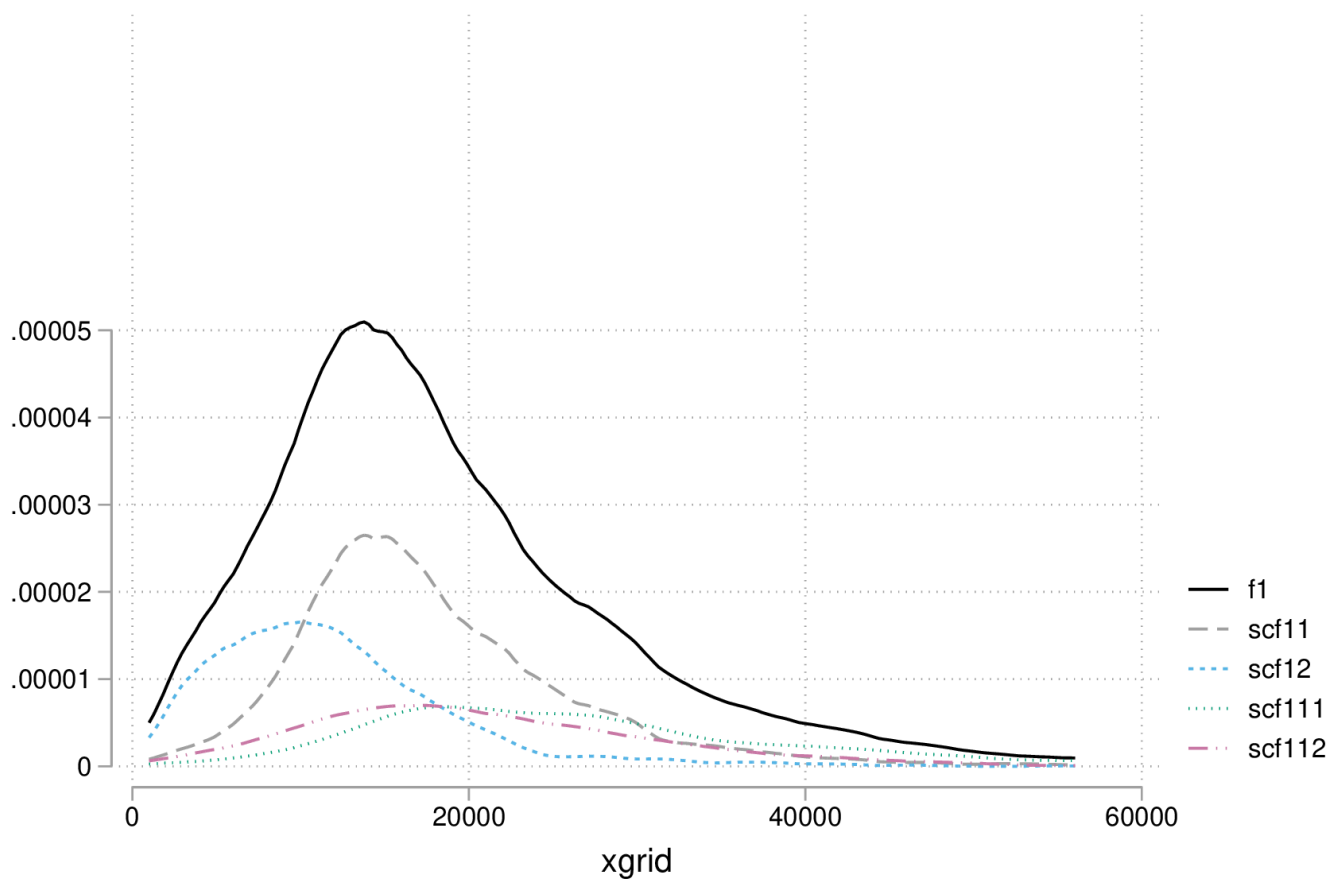
. *}

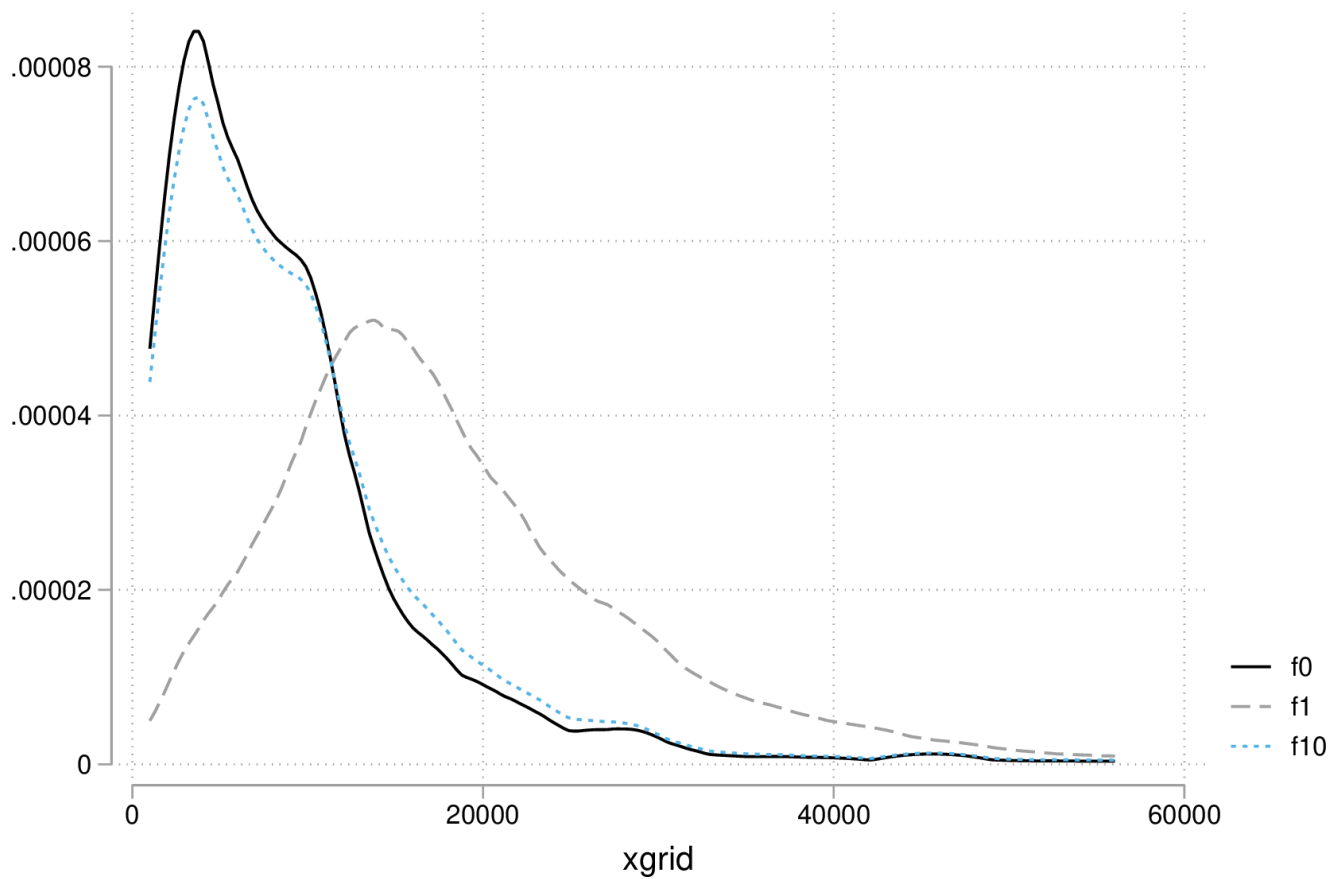
```

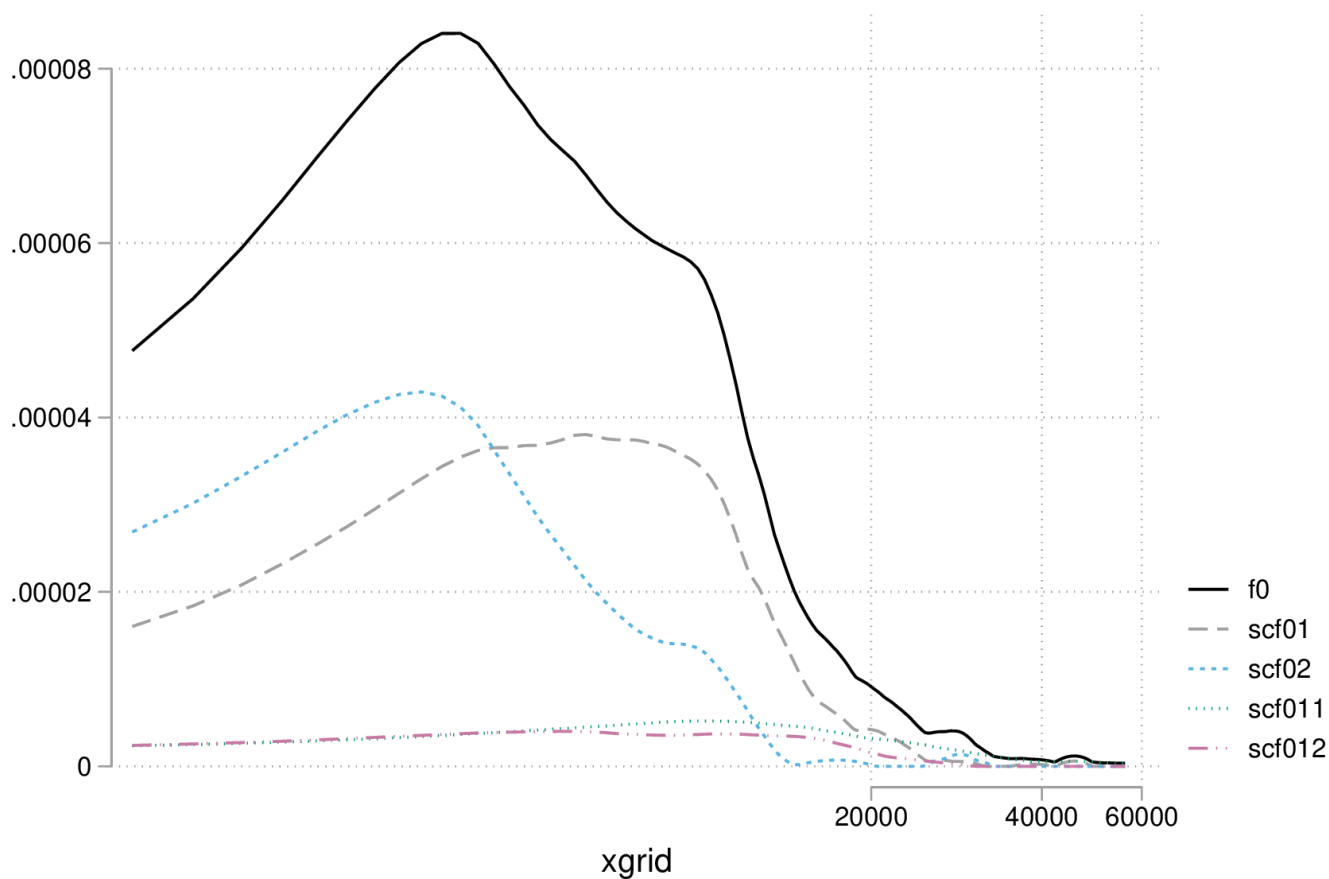
```
.  
. exit  
  
end of do-file
```

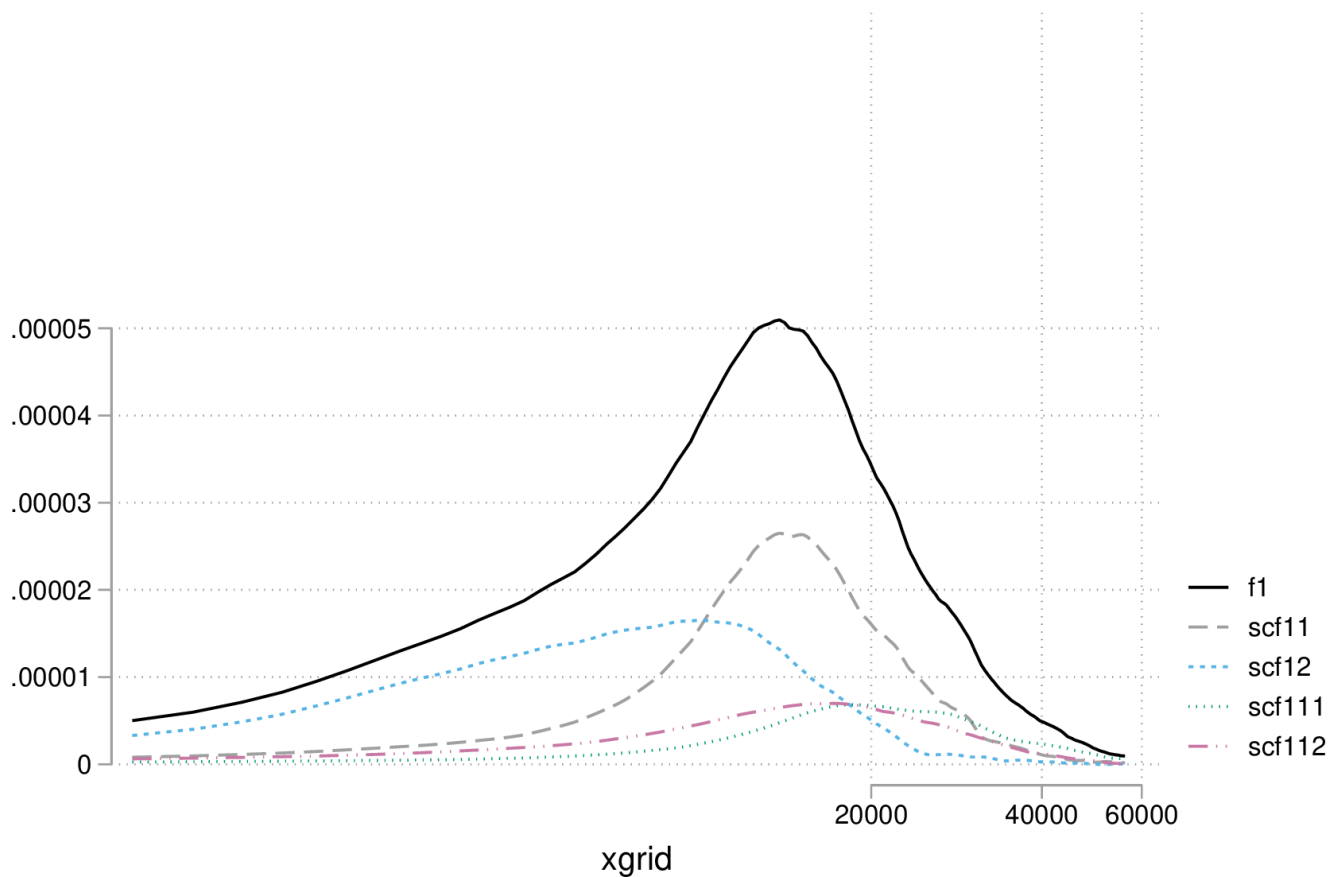
graphs











kdens0.png kdens1.png
kdens10.png kdens0_log.png
kdens1_log.png kdens10_log.png

